M1

Solutions and Mark Scheme

Final Version

1. (a) Using
$$v^2 = u^2 + 2as$$
 with $u = 18.2$, $a = (-)9.8$, $v = 0$ o.e. M1
 $0 = 18.2^2 + 2(-9.8)s$ A1
 $s = 16.9$ (m) cao A1

(b) Using
$$s = ut + at^2$$
 with $s = 0$, $u = 18.2$, $a = (-)9.8$ M1
$$0 = 18.2t - 4.9t^2$$

$$t = 0, \frac{26}{7}$$

Ball returns to point A after
$$\frac{26}{7}$$
 s. cao A1

(c) Using
$$v = u + at$$
 with $u = 18.2$, $t = 2.5$, $a = (-)9.8$ M1
 $v = 18.2 + (-9.8) \times 2.5$ A1
 $= -6.3$ Ball is moving downwards with speed $\underline{6.3}$ ms⁻¹.

2. (a) (i)

T

360g

Apply Newton's second law to lift dim. correct. M1
$$T - 360g = 360a$$
 A1

When
$$a = -3$$
, $T = 360 \times 9.8 - 360 \times 3$
= 2448 (N) cao A1

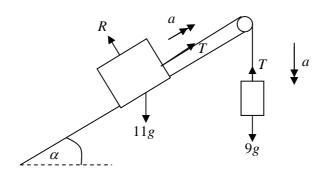
(ii)
$$T = 360g = (3528 \text{ N})$$
 B1

 $\begin{array}{c|c}
R \\
\uparrow \\
\downarrow \\
25g
\end{array}$

N2L dim. correct M1
$$R - 25g = 25a$$
 A1
$$a = \frac{1}{25} (280 - 25 \times 9 \cdot 8)$$

$$a = 1.4 \text{ (ms}^{-2}\text{)}$$
 cao A1

3.



N2L applied to B. dim. correct, all forces M1

9g - T = 9aA1

M1 N2L applied to A. dim. correct, all forces

 $T - 11g \sin \alpha = 11a$ A1

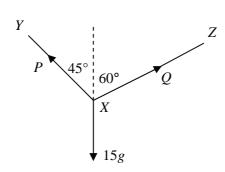
Attempt to eliminate one variable dep. on both M's m1

Adding $9g - 11g \sin \alpha = 20a$

 $a = 2.254 \, (\text{ms}^{-2})$ A1 cao

T = 67.914 (N)**A**1 cao

4.



Resolve vertically attempt at equation with P, Q resolved M1

 $P\cos 45^{\circ} + Q\cos 60^{\circ} = 15g$ **A**1

 $\frac{P}{\sqrt{2}} + \frac{1}{2}Q = 15g$

Resolve horizontally attempt at equation with P, Q resolved M1

 $P\cos 45^{\circ} - Q\cos 30^{\circ} = 0$ **A**1

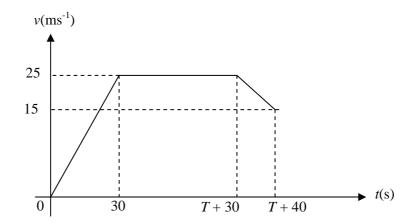
 $\frac{P}{\sqrt{2}} - \frac{Q\sqrt{3}}{2} = 0$

Attempt to eliminate one variable m1

 $Q\left(\frac{1}{2} + \frac{\sqrt{3}}{2}\right) = 15g$ Subtract

> $Q = \underline{107.6} (N)$ $P = \underline{131.8} (N)$ cao **A**1

5. (a)



Line segment (0,0) to (30, 25) B1 Line segment (30, 25) to ((T+30), 25) B1 Line segment ((T+30), 25) to ((T+40), 15) time interval required B1 Correct labelling + 2 previous B marks gained. B1

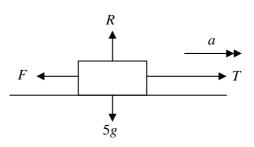
(b) An attempt at area under graph = 8000 o.e. M1
Any correct distance B1 $0.5 \times 25 \times 30 + 25 \ T + 0.5 \ (25 + 15) \times 10 = 8000$ A1 375 + 25T + 200 = 8000 $T = \underline{297} \ \text{s}$ cao A1
Total time = 297 + 30 + 10

ft

A1

= 337 s

6.

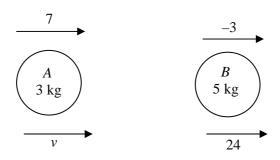


(a) R = 5g B1 Limiting friction = $5g \times 0.6$ B1 = 3g = 29.4 N

N2L applied to particle dim correct, all forces M1 40-29.4 = 5a ft friction A1 $a = 2.12 \text{ ms}^{-2}$ cao A1

(b) Particle will not start moving. B1 Since T = 20 N, T is smaller than limiting friction. So friction will be equal to T. Since resultant is 0, there is no motion. E1

7.



(a) Conservation of momentum

$$3v + 5 \times 2.4 = 7 \times 3 - 3 \times 5$$

 $v = -2 \text{ (ms}^{-1})$

attempted M1

any correct form A1 cao A1

Restitution

$$2.4 - v = -e(-3-7)$$

$$e = 0.44$$

attempted M1

any correct form A1 ft v A1

(b) Speed of *B* after collision with the wall = v'

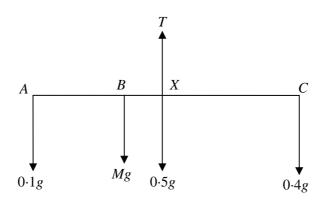
$$v' = 0.6 \times (\pm)2.4$$

 $v' = (\pm)1.44 \text{ (ms}^{-1})$

M1

cao A1

8.



(a) Moments about *X* to obtain equation.

M1

At least one correct moment

B1

$$0.1g \times 10 + Mg \times 2 = 0.4g \times 10$$

 $M = \underline{1.5} \text{ (kg)}$

any correct equation A1

cao

A1

(b) Resolve vertically

$$T = (0.1 + 1.5 + 0.5 + 0.4)g$$

ft M

M1 A1

T = 24.5 (N)

ft M

A1

- 9. from ACfrom AB(a) Area ABC36 4 2 B1 3 3 **PQRS** 4 **B**1 Lamina 32 **B**1 \boldsymbol{x} y
 - Moments about AC M1
 - $32x + 4 \times 3 = 36 \times 4$ ft A1
 - $x = \frac{33}{8} = \underline{4.125 \text{ cm}}$ cao A1
 - Moments about AB M1
 - $32y + 4 \times 3 = 36 \times 2$ ft A1
 - $y = \frac{15}{8} = \underline{1.875 \text{ cm}}$ cao A1
 - (b) Mass x y 10 4 0 5 3 8 2 -5 6 3 -1 2
 - Moments about *y*-axis (or *x*-axis) M1
 - $20x = 10 \times 4 + 5 \times 3 + 2 \times (-5) + 3 \times (-1)$ A1
 - x = 2.1 cao A1

Moments about *x*-axis

- $20y = 10 \times 0 + 5 \times 8 + 2 \times 6 + 3 \times 2$ A1
 - = 2.9 cao A1